

## Fixed Point Iteration Algorithm

Write the program in the editor page by clicking on **New Script** , **Save it** , then click **Run**.

### Example1:

Consider the function  $g(x) = (x^2+3)/(2x-1) = x$ . Approximate a root of using a fixed-point method, by taking  $x_0=2.5$ .

### Solution:

```
g=inline('x^2+3)/(2*x-1)');
x0=input('x0=');
n=input('n=');
for i=1:n
    x1=g(x0);
    disp(x0)
    if abs(x1-x0)<0.001
        break
    else
        x0=x1;
    end
end
```

### Answer:

$x_0=2.5$

$n=5$

2.5000

2.3125

2.3028

**Example2;**

Use a fixed-point iteration method to determine a solution accurate to within  $10^{-2}$  for  $x^4 - 3x^2 - 3 = 0$  on  $[1, 2]$ . Use  $p_0 = 1$ .

**Solution: Invert the problem into fixed point problem, then**

```
g=inline('3*x^2+3)^0.25');
x0=input('x0=');
n=input('n=');
for i=1:n
    x1=g(x0);
    disp(x0)
    if abs(x1-x0)<0.01
        break
    else
        x0=x1;
    end
end
```

**Answer:**

$x_0 = 1$

$n = 9$

1

1.5651

1.7936

1.8859

1.9228

1.9375

**Exercise;** Do exercises and examples in Lecture3 using MATLAB